64. Conformational Analysis of Didemnins

A Multidisciplinary Approach by Means of X-Ray, NMR, Molecular-Dynamics, and Molecular-Mechanics Techniques

by Horst Kessler¹)* and Martin Will

Institut für Organische Chemie der Universität Frankfurt, Niederurseler Hang, D-6000 Frankfurt 50

and Jochen Antel, Holger Beck, and George M. Sheldrick

Institut für Anorganische Chemie der Universität Göttingen, Tammannstrasse 4, D-3400 Göttingen

(9.XII.88)

We present the application of several homo- and heteronuclear 1D- and 2D-NMR techniques to assign the ¹H-NMR chemical shifts of the dominant conformation of didemnin B (2; three different conformations in (D_6) DMSO solution in the ratio 8:1:1) and its conformational analysis, as well as the solution conformation of didemnin A (1). The conformations were refined by restrained molecular-dynamics calculations using the GROMOS program and by MOMO, a novel personal-computer-based interactive molecular-graphics and molecular-mechanics package, using experimental distances (via a H...H pseudo potential function) as restraints. The solution structures of 1 and 2 obtained by GROMOS and MOMO calculations were compared with each other and related to the recently solved crystal structure of 2. Focusing on the main conformer, the two kinds of the distance-restrained conformational calculations for 2 yielded a 'solution structure' close to the crystal structure. Almost all of the 40 restrained H...H distances coincided (within the estimated standard deviations) with those observed in the crystal structure. One more hydrogen bond was detected in solution involving the lactoyl OH group (disordered in the crystal structure) and the dimethyltyrosine (Me₂Tyr⁵) carbonyl O-atom. The macrocyclic ring system in the modeled solution structure of 1 exhibited a topology close to those of the solution and crystal structures of 2. The main difference between 1 and 2 could be traced back to a significant change in the ψ angle of the N-methyl-D-leucine (MeLeu⁷) residue. In 1, the N-methyl moiety of MeLeu⁷ points inward within the macrocyclic ring toward the Ist and Hip region. We also tested the suitability of structures obtained from NMR data as 'search fragments' in the 'Patterson search approach' of crystal-structure analysis. It proved possible to resolve the crystal structure of 2 a posteriori with the Patterson search program PATSEE, in this way.

Introduction. – Didemnin A (1) and B (2); Fig. I belong to a new class of highly active antiviral cytotoxic depsipeptides which were isolated from a Caribbean tunicate of the family Didemnidae (*Trididemnum genus*). A first structural characterization was performed by degradative and some spectroscopic studies [1] [2]. The total synthesis of the didemnins [3] [4], the crystal structure of didemnin B (2) [5], and the assignment of all 'H-and ¹³C-NMR signals of didemnin A (1) in solution [6] have been published recently. The interesting spectrum of biological activities of the didemnins (discussed below) has prompted further research on their structural features in the solid state and in solution. A detailed knowledge of the conformations in different environments is required to understand the difference in the activity between didemnin A (1) and B (2).

These cyclic depsipeptides are of great interest because of their effective inhibition of the replication of DNA and RNA viruses *in vitro* [2]. They are reported to be highly active *in vivo* against P388 leukemia and B16 melanoma and potent inhibitors of the L1210

¹) New address: Lehrstuhl II für Organische Chemie, Technische Universität München, Lichtenbergstr. 4, D-8046 Garching.



leukemia cells in vitro [3]. The didemnins show a novel cyclic depsipeptide structure containing one unit of hydroxyisovalerylpropionic acid (=(2S,4S)-4-hydroxy-2,5-dimethyl-3-oxohexanoic acid; Hip) and isostatin (=(3S,4R,5S)-4-amino-3-hydroxy-5methylheptanoic acid; Ist), a new isomer of the amino acid statin. The presence of isostatine has been established by the determination of the crystal structure of didemnin (2) [5]. All didemnins characterized so far contain the same cyclic depsipeptide backbone, differing only by the substituent R linked to the N-methylleucine (MeLeu) residue. In the different biological tests [7], 2 has been 2-3 orders of magnitude more active and ca. 20 times more cytotoxic [8] than 1 or didemnin C. Recently, 2 is reported to show significant activity against some human tumors, such as carcinoma of the breast, ovary, kidney, and lung, mesothelioma, sarcoma, and hairy cell leukemia in the *in-vitro* tests [9] [10]. Therefore, 2 has entered clinical trials as a potential antitumor agent [11]. There have been many biological studies on the didemnins, but much less work which provides insights in the topological features of the didemnins [5]. Such information is highly required to explain the possible mechanism of the biological action of these substances and the great differences in their activities. Preliminary studies indicate that the didemnins should be protein-synthesis inhibitors but do not bind to DNA [8]. The biological behaviour of the didemnins has been compared to some other polypeptide antibiotics in order to elucidate the possible mechanism of biological interaction. Thus, it has been shown that in comparison to valinomycin or gramicidin, didemnins do not function as ionophore for sodium or potassium cations [12]. Didemnins have been compared with cyclosporine A too, because of their potent immunosupressive activity [13] and the much more potent inhibition of binding of prolactine to human lymphocytes [14]. The topological comparison [5] reveals that the solid-state conformation of didemnin B (2) is more similar to the solution structure of cyclosporin A [15] than to the crystal structure of cyclosporine A. However, there are great differences in the polarity of the side chains of cyclosporine A (Me-Bmt) and 2 (N-lactoylproline moiety). So it seems very unlikely that the binding sites would be the same.

We report here the assignment of the 'H-NMR signals of didemnin B (2) by the application of one- and two-dimensional NMR techniques [16]. The three-dimensional molecular structures of both didemnin A (1) and B (2) are derived from NMR data and restraint molecular dynamics (MD) and molecular-mechanics (MM) calculations.

Assignment of the NMR Signals of Didemnin B (2). - The assignment of the NMR signals is based exclusively on connectivity information via scalar coupling [17] [18]. We have applied various recently established NMR techniques including TOCSY experiments [19] and proton-detected heteronuclear long-range correlation experiments using semiselective C-atom pulses ('inverse COLOC') [20] for tracing out correct correlations. Three distinct sets of signals belonging to three different conformers are observed in (D_{4}) DMSO solution, in a relative ratio of 8:1:1. The presence of two N-methylated amino-acid residues in 2 and two prolines (Pro) suggest that these conformations which are slowly interconverting on the NMR time scale arise from rotational isomerism about the secondary amid bond (see below). The analysis of the three spin systems presents some pitfalls, caused by severe overlapping when examined merely by standard techniques. The digitization of the 500-MHz DQF-COSY [21] is sufficiently high to resolve three different conformations only for a part of the molecule. This part consists of the Hip, Ist, and the side-chain lactoyl (Lact) residues. The threonine (Thr) and leucine (Leu) residues exhibit only two distinct signal sets, whereas for the methyltyrosine (Me-Tyr(Me), short form: Me, Tyr) and for each of the two Pro only one spin-system pattern can be identified. A confirmation of the resonances belonging to the less populated conformers is obtained by the inspection of exchange cross-peaks in the NOESY [16] [22] [23 a] spectra. To attain an independent proof of the occurrence of these patterns of resonances, we have recorded reference spectra of synthetically produced 2 (kindly provided by U. Schmidt and coworkers [4] which confirm our results). In a previous publication [6], we have described the way of assigning didemnin A (1) in detail; thus, we sketch out the assignment of 2 only briefly, the results being summarized in Table 1.

The double-quantum-filtered COSY (DQF-COSY) spectrum recorded at first yields the assignment of almost all proton signals of the main conformer. The TOCSY spectrum then allows an unambiguous assignment of all of the aliphatic side-chain protons as well and provides some redundant information to increase the reliability. Beside this, the application of the TOCSY technique leads to the assignment of the two less populated conformers (*ca.* 10% each) which will now be described concentrating on some marked features of the 1st residue. A complication is due to a missing cross-peak indicating the correlation between the low-field α and β protons owing to small coupling constant. In addition, the $H-C(\gamma)/H-C(\delta)$ correlation cannot be obtained. The problem is similar to the β , γ correlation in Leu residues, as pointed out for cyclosporin [17] [24]. The $H-C(\delta)$ at 1.87 ppm couples to six vicinal neighbours, yielding a broad signal of low intensity with antiphase structure of the δ , γ coupling, Hence, this cross-peak cannot be observed in the COSY spectrum. However, these missing correlations are apparent in the TOCSY, NOESY, and 'inverse COLOC' spectra [20]. For the latter technique which is based on the original pulse sequence of *L. Müller* [25], optimized for long-range coupling, a semiselective excitation of the carbonyl resonances *via Gaussian*-shaped pulses [26] is applied to provide sufficient resolution in the carbon dimension.

In the TOCSY spectrum which is recorded with the MLEV17 sequence for the spin-lock (HOHAHA) [19], the NH resonance of Ist¹, *e.g.*, exhibits correlations to the degenerate $H-C(\gamma)$ and $H-C(\beta)$ and to $H-C(\alpha)$ and

| | Ist ¹ | Hip ² | Leu ³ | Pro^4 | Me ₂ Tyr ⁵ | Thr^{6} | MeLeu ⁷ | Pro ⁸ | Lact ⁹ |
|--|-------------------|-------------------|------------------|------------------|----------------------------------|-------------|--------------------|------------------|-------------------|
| HN | 6.93 (7.20, 7.05) | - | 7.85 (7.70) | . 1 | | 7.76 (7.84) | 1 | | - |
| $^{3}J(NH, \alpha \text{ or } \gamma)$ | 9.7 | 1 | 9.1 | I | ι | 5.7 | ١ | 1 | ł |
| $H-C(\alpha)$ | 3.44 (3.24, 3.40) | 3.96 (3.75, 3.77) | 4.63 (4.69) | 4.62 | 4.07 | 4.36 (4.41) | 5.22 | 4.70 | 4.36 (4.30, 4.24) |
| $H'-C(\alpha)$ | 2.27 (2.18, 2.24) | Ī | I | I | ļ | 1 | I | ł | 1 |
| $CH_{1}-C(\alpha)$ | | 1.16 (1.16, 1.15) | T | I | ł | | I | ſ | 1.24 (1.14, 1.22) |
| ${}^{3}J(\tilde{\alpha},\beta)^{b})$ | 1 | , 1 | Ĩ | 8.7 ^S | 4.6 ^S | 2.4 | 11.15 | 7.8 ⁵ | , 1 |
| ${}^{3}J(\alpha,\beta)^{b})$ | I | I | 1 | 4.5 ^R | 11.0^{R} | 1 | 5.0 ^R | 7.4 ^R | I |
| $H-C(\beta)$ | 3.82 (3.79) | I | 1.52 (1.55) | 2.14 | 3.16 | 5.02 (4.98) | 1.67 | 2.18 | I |
| $H'-C(\beta)$ | , 1 | I | 1.07 | 1.55 | 2.96 | | 1.60 | 1.67 | 1 |
| H-C(y) | 3.80 (3.82, 3.79) | 4.90 (4.88) | 1.44 (1.22) | 1.97 | ţ | 1.22 (1.14) | 1.36 | 2.05 | I |
| H'-C(y) | I | | I | 1.80 | I | I | i | 1.87 | I |
| 3J(y, d) | 1 | 3.9 | I | 1 | ł | I | I | I | - |
| $H-C(\delta)$ | 1.87 | 2.24 (2.19) | 0.87 (0.89) | 3.60 | 7.15 | I | 0.85 | 3.84 (3.70) | I |
| $H'-C(\delta)$ | I | | 0.87 (0.89) | 3.47 | I | I | 0.77 | 3.53 (3.43) | , |
| $CH_1 - C(\delta)$ | 0.83 | 1 | 1 | 1 | ł | i | 1 | | I |
| $H-C(\varepsilon)$ | 1.24 | 0.83 (0.79) | 1 | I | 6.86 | I | i | ł, | I |
| H'-C(ε) | 1.14 | 0.76 (0.74) | t | I | - | I | I | I | , |
| $CH_3(\delta)$ | 0.86 | I | I | ł | i | i | ł | I | I |
| CH ₃ N | I | I | I | I | 2.50 | ł | 3.06 | ł | 1 |
| CH ₃ O | I | I | I | Ι | 3.73 | I | ł | I | I |
| ЮН | 4.35 | I | I | 1 | ì | I | 1 | I | I |

build-up rates between $H-C(\alpha)$ and the two diastereotopic $H-C(\beta)$ and independently verified by the interpretation of the coupling constants ³J. For the corresponding theoretical ϕ angle for the different turn types, see [23b].

HELVETICA CHIMICA ACTA - Vol. 72 (1989)



Fig. 2. Parts of the TOCSY spectrum of didemnin B (2) in $(D_{\delta})DMSO$ solution at 300 K. The regions of NH and $H-C(\alpha)$ correlations are shown. The solid lines indicate the correlations involving the Leu³ residue, starting at NH and $H-C(\alpha)$. The dotted lines indicate the correlation pattern of the main conformer of Ist¹ starting at NH at 6.93 ppm and involving the corresponding α , β , and γ protons. Correlations to side-chain protons can be found starting at the γ proton. The assignment of the less populated conformers is pointed out (Ist¹ NH* and Ist¹ NH**).

 $H'-C(\alpha)$ (short form: α') for each of the three detectable conformers (see Fig. 2). The TOCSY spectrum is also employed for the assignment of the complex spin systems of Leu, N-methyl-D-leucine (Me-D-Leu; short form: MeLeu), and the two Pro. The spin systems of the two minor conformers are also evident from this spectrum. As an example, the assignment of the two visible conformers of the Leu residue is given: Starting with the Leu NH resonance of the major conformer at 7.85 ppm, one can follow the trace to the $H-C(\alpha)$ cross-peak at 4.63 ppm, the $H-C(\beta)$ and $H'-C(\beta)$ (short form: β') resonances at 1.52 and 1.07 ppm, respectively, the $H-C(\gamma)$ cross-peak at 1.44 ppm, and the degenerated $H-C(\delta)$ and $H'-C(\delta)$ (short form: δ') resonances at 0.87 ppm. Starting at the Leu NH resonance of the minor conformer at 7.70 ppm leads to the subsequent cross-peaks at 4.69 $(H-C(\alpha))$, 1.55 and 1.07 $(H-C(\beta))$ and $H'-C(\beta)$, resp.), 1.22 $(H-C(\gamma))$, and finally 0.89 ppm $(H-C(\delta), H'-C(\delta))$. This procedure can also be employed starting at the $H-C(\alpha)$ or $H-C(\beta)$ resonances.

The N-methyl protons of the MeLeu⁷ and Me₂Tyr⁵ residues are assigned with the help of an 'inverse H,C-COLOC' experiment (*Fig. 3*). *E.g.*, the Pro⁴ CO resonance at 170.38 ppm correlates with the Pro⁴ and

535



Fig. 3. 500-MHz 'inverse COLOC' spectrum with selective excitation of the carbonyl C-atoms of didemnin B(2) in $(D_6)DMSO$ solution at 300 K. The assignment of the cross-peaks and the corresponding CO resonances is indicated.

Me₂Tyr⁵ α protons (4.62 and 4.07 ppm, resp.), the Pro⁴ $H-C(\beta)$ and $H'-C(\beta)$ (2.14 and 1.55 ppm, resp.), and finally with the CH_3N resonance at 2.5 ppm, simultaneously providing the assignment of the Me₂Tyr⁵ CH₃N group and the sequencial arrangement of Pro⁴. Likewise, the Pro⁸ CO signal at 172.9 ppm exhibits correlations to $H-C(\alpha)$, $H-C(\beta)$, and $H'-C(\beta)$ of Pro⁸ (4.70, 2.18, and 1.67 ppm, resp.) and additionally to CH_3N and $H-C(\alpha)$ of MeLeu⁷ (3.06 and 5.22 ppm, resp.) giving once more an independent proof of the assignment of both the CH_3N of MeLeu⁷ and the position of the Pro⁸ residue. The assignment of the remaining carbonyl C-atoms by means of the 'inverse H,C-COLOC' spectrum and the sequencing of adjacent amino-acid residues follows an analogous path, using cross-peaks to protons whose chemical shifts are already known from the DQF-COSY and TOCSY experiments. Independent proof of the sequence assignment is obtained by the NOESY experiment.

Relevant NMR Parameters for the Assignment of the Conformations of Didemnin A (1) and B (2). – The analysis of the backbone as well as of the side-chain conformation is performed by means of chemical-shift values and their temperature dependence, the quantitative evaluation of coupling constants, and the measuring of build-up rates in NOESY spectra [23 a] with different mixing times. The limited amount of these natural products prohibits the recording of T_1 relaxation time measurements of the ¹³C resonances as a probe of molecular flexibility.

For didemnin A (1), a few vicinal coupling constants are evaluated. Most of them can be obtained directly from the 1D-500-MHz ¹H-NMR spectrum or from the DQF-COSY by means of the DISCO [27] [28] technique. For didemnin B (2), coupling constants are



Fig.4. Region of the Pro^4 and $Pro^8 \alpha, \beta$ cross-peaks of the 500-MHz E.COSY spectrum of didemnin B (2) in $(D_6)DMSO$ solution at 300 K. Positive signal intensities are indicated as filled contours. The extraction of ${}^3J(\alpha,\beta)$ is demonstrated. For the experimental evaluation of the J, cross-sections with different F_1 frequencies are used as usual.

extracted either directly from the 1D 500-MHz ¹H-NMR spectrum (e.g. $J(NH,\alpha)$) or from an E.COSY [29] spectrum (see Fig.4) which yields coupling constants with high accuracy agreeing to a large extent with those evaluated from the 1D spectrum, as far as an evaluation is possible. The E.COSY spectrum is especially suited for more complicated spin systems such as Pro and simplifies cross-peak *m* more efficiently, so that they can be analyzed by inspection.

For the determination of H...H distances, several NOESY spectra with different mixing times are recorded. Quantitative build-up rates are obtained from these experiments starting with a volume integration of the cross-peak sections and a subsequent fitting of these integrals to an exponential function after base plane correction, using the 2D-NMR program system of *Kaptein* and *Boelens* [30] on a DEC-VAX computer (*Table 2*).

Determination of the Conformation by Molecular-Dynamics (MD) and Molecular-Mechanics (MM) Calculations. – In order to obtain reliable structural information of didemnin A (1) and B (2) in the crystalline state as well as in solution, we have performed an X-ray structure analysis of 2 [5] and the NMR studies. Additionally, we now employ MM using the program MOMO [31] and restrained MD using the GROMOS program system [32–34].

We have decided to perform only restrained dynamics and not free dynamic simulations for the following reasons. In our experience, free dynamic simulations yield artificial results due to 'in vacuo effects' which overemphasize coulombic interactions involving additional H-bonds and sometimes even produce a misleading H-bonding pattern. E.g. such calculations often produce more γ turns and more bifurcated H-bonds than found by NMR and crystallographic investigations. Experimental checking via the recording of the temperature dependence of the NH chemical shift and specific charge release of the solvent-exposed NH protons [35] is, therefore, required. In addition, van der Waals interactions tend to produce a globular structure, folding side chains back close to the backbone, in contrast to the NMR findings. An example of this effect has been found in cyclo (-D-Pro-Phe-Thr-Lys(Z)-Trp-Phe-) [35] where in a free dynamic simulation, the Trp indole moiety occupies conformation $\chi_1 = 60^\circ$, in contrast to the information from the homo- and heteronuclear coupling constants J which lead to a population of less than 10% for this rotamer. Similar observations have been made for the Me-Bmt side chain in cyclosporin A [36]. Hence, a free dynamic calculation of molecules of this size do not yield structures independent of the starting structure, and the calculated conformations are not in good agreement with detailed experimental observations.

It might be better to calculate molecules *in solution*, but the tremendous computer CPU time required for the calculation of a sufficiently long trajectory (the viscosity of the solvent slows down the dynamics!) prevents this application in realistic cases, but in general, efforts should be made to parametrize the force field for the solvents in which the NMR spectra are recorded.

We will now focus on the conformation of 1 and 2 in solution. For this purpose, we use two different approaches, each of which starting with the crystal coordinates of 2 [5]. First, we employ MOMO, a low-cost molecular-modeling program system based on force-field techniques. Secondly, we perform restraint MD simulations using the GROMOS package. The results of the two approaches will be compared to demonstrate the reliability of the MM approach using MOMO.

| Molecular-Dynamics, and | |
|--|-----------------------------|
| 2) and A (1) Obtained from NOE Build-up Rates | lations ^a) |
| ible 2. Comparison of Experimental and Calculated HH Distances r [pm] for Didennin B (2) | Molecular-Mechanics Calcula |

538

| | Involved protons | | r(H,H) ^{NOE} | r(H,H) ^{CRYST} | r(H,H) ^{MD-R} | <i>r</i> (H, H) ^{MD} | r(H,H) ^{MM-R} | $r(H, H)^{MM}$ |
|---|--|--|-----------------------|-------------------------|------------------------|-------------------------------|------------------------|----------------|
| 5 | Ist ¹ NH | Ist ¹ H–C(γ) | 231 | 299 | 208 | 204 | 243 | 303 |
| | Ist ¹ NH | Ist ¹ H _(mo-S) -C(α) | 252 | 286 | 268 | 313 | 252 | 301 |
| | Ist ¹ NH | $Pro^4 H - C(\alpha)$ | 339 | 331 | 348 | 373 | 339 | 319 |
| | Ist ¹ NH | Thr ⁶ H–C(α) | 210 | 223 | 209 | 198 | 210 | 225 |
| | Ist ¹ H–C(γ) | Ist ¹ H–C(δ) | 210 | 247 | 237 | 239 | 221 | 238 |
| | Ist ¹ H–C(γ) | Ist ¹ H _(pro-S) –C(α) | 231 | 283 | 273 | 278 | 236 | 290 |
| | Ist ¹ H–C(δ) | Ist ¹ H $-C(\varepsilon)$ | 257 | 242 | 266 | 266 | 257 | 246 |
| | Ist ¹ H _(mo-S) -C(α) | Leu ³ NH | 264 | 264 | 298 | 373 | 274 | 304 |
| | $Hip^2 H-C(y)$ | $Hip^2 H-C(\delta)$ | 255 | 243 | 233 | 278 | 255 | 248 |
| | $Hip^2 H-C(y)$ | $Hip^2 H-C(\alpha)$ | 363 | 335 | 347 | 350 | 363 | 373 |
| | $Hip^2 H-C(\gamma)$ | $Hip^2 CH_3 - C(\alpha)$ | 346 | 441 | 482 | 478 | 356 | 483 |
| | $Hip^2 H-C(y)$ | $Hip^2 CH_3(\varepsilon)$ | 283 | 299 | 302 | 337 | 293 | 325 |
| | $Hip^2 H-C(\alpha)$ | Leu ³ NH | 200 | 214 | 215 | 219 | 211 | 230 |
| | Leu ³ NH | Leu ³ H–C(α) | 301 | 301 | 289 | 289 | 303 | 301 |
| | Leu ³ NH | Thr ⁶ H–C(α) | 324 | 326 | 327 | 324 | 334 | 292 |
| | Leu ³ NH | MeLeu H–C(a) | 306 | 402 | 351 | 363 | 317 | 408 |
| | Leu ³ H–C(α) | $\operatorname{Leu}^{3} \operatorname{H}'_{(pro-R)} - \operatorname{C}(\beta)$ | 290 | 303 | 302 | 303 | 300 | 304 |
| | Leu ³ H–C(a) | Leu ³ H _(pro-S) -C(β) | 240 | 253 | 263 | 261 | 250 | 244 |
| | Leu ³ H–C(a) | $\operatorname{Leu}^{3}\operatorname{CH}_{3}(\varepsilon)$ | 226 | 203 | 315 | 312 | 226 | 243 |
| | $\operatorname{Leu}^{3} \operatorname{H}_{(pro-R)} - \operatorname{C}(\beta)$ | $Leu^{3} H - C(\gamma)$ | 231 | 253 | 258 | 258 | 241 | 250 |
| | Leu ³ $H_{(pro-S)} - C(\beta)$ | $Pro^4 H-C(\beta)$ | 309 | 330 | 342 | 348 | 319 | 388 |
| | Leu ³ H _(pro-R) -C(β) | Thr ⁶ H–C(α) | 257 | 279 | 278 | 321 | 257 | 206 |
| | $\operatorname{Leu}^{3}\operatorname{H}_{(pro-S)}^{\circ}-\operatorname{C}(\beta)$ | Thr ⁶ H–C(α) | 316 | 381 | 351 | 411 | 326 | 365 |
| | $Pro^4 H - C(\alpha)$ | Me ₂ Tyr ⁵ CH ₃ N | 192 | 193 | 252 | 251 | 202 | 235 |
| | $\operatorname{Pro}^4 \operatorname{H}_{(pro-R)} - \operatorname{C}(\beta)$ | Me ₂ Tyr ⁵ CH ₃ N | 246 | 245 | 379 | 412 | 256 | 241 |
| | Me ₂ Tyr ⁵ CH ₃ N | $Me_2Tyr^5 H-C(\alpha)$ | 204 | 239 | 261 | 259 | 210 | 203 |
| | Me ₂ Tyr ⁵ H–C(a) | $Me_2Tyr^5 H_{(pro-S)}-C(\beta)$ | 234 | 234 | 248 | 249 | 238 | 236 |
| | Thr ⁶ NH | Thr ⁶ H–C(α) | 276 | 289 | 264 | 275 | 276 | 288 |
| | $Thr^{6} NH$ | $Thr^{6} H - C(\beta)$ | 229 | 232 | 222 | 237 | 239 | 243 |
| | Thr ⁶ NH | $Pro^{8} H-C(\alpha)$ | 353 | 375 | 415 | 462 | 353 | 353 |
| | $Thr^{6} NH$ | MeLeu ⁷ H–C(α) | 261 | 301 | 300 | 341 | 261 | 279 |
| | Thr ⁶ H–C(α) | $Thr^{6} H-C(\beta)$ | 243 | 257 | 257 | 256 | 243 | 248 |
| | MeLeu ⁷ CH ₃ N | MeLeu ⁷ H–C(α) | 286 | 369 | 370 | 366 | 298 | 368 |
| | MeLeu ⁷ CH ₃ N | $Thr^{6} NH$ | 260 | 251 | 306 | 286 | 260 | 280 |

Helvetica Chimica Acta - Vol. 72 (1989)

| | MeLeu ⁷ CH ₃ N | $Pro^{8} H-C(\alpha)$ | 286 | 316 | 280 | 288 | 296 | 241 |
|--------------|---|---|---|---|--|---|--|---------------------------|
| | MeLeu ⁷ H–C(α) | $MeLeu^{7} H_{(pro-R)}-C(\beta)$ | 233 | 246 | 267 | 276 | 243 | 246 |
| | MeLeu ⁷ H–C(β) | $MeLeu^{7}H-C(y)$ | 237 | 247 | 284 | 263 | 247 | 257 |
| | MeLeu ⁷ H–C(α) | $MeLeu^{7} CH_{3}(\delta)$ | 249 | 204 | 376 | 332 | 249 | 236 |
| | MeLeu ⁷ H–C(α) | $MeLeu^7 CH_3(\delta^{\gamma})$ | 295 | 435 | 381 | 412 | ł | I |
| | Pro ⁸ H–C(δ) | Lact ⁹ H–C(α) | 247 | 224 | 221 | 216 | 257 | 269 |
| - | Ist ¹ NH | Ist ¹ H–C(v) | 238 | I | 281 | 290 | 249 | 300 |
| • | Ist ¹ NH | $Thr^{6}H - C(\alpha)$ | 215 | ľ | 212 | 204 | 215 | 229 |
| | Ist ¹ NH | $Ist^1 CH, -C(\delta)$ | 256 | I | 331 | 303 | 266 | 251 |
| | Ist ¹ NH | $Ist^{1} H_{carrow co} - C(\alpha)$ | 266 | 1 | 258 | 292 | 266 | 265 |
| | Ist ¹ OH | Ist ¹ H–C(δ) | 267 | I | 295 | 318 | 277 | 340 |
| | Ist ¹ OH | Ist ¹ H–C(β) | 232 | - | 228 | 248 | 243 | 235 |
| | Ist ¹ OH | Ist ¹ H _(nro-S) -C(α) | 299 | | 284 | 256 | 310 | 360 |
| | Hip ² H–C(α) | $Hip^2 H-C(y)$ | 351 | I | 344 | 347 | 355 | 377 |
| | $Hip^2 H-C(y)$ | $Hip^2 H-C(\delta)$ | 260 | ł | 237 | 230 | 260 | 250 |
| | Leu ³ NH | Thr ⁶ H–C(α) | 320 | ł | | | | |
| | Leu ³ NH | Ist ¹ H _(<i>n</i>, 0, - C) – C(α) | 279 | , | 310 | 365 | 289 | 281 |
| | Leu ³ NH | $Hip^2 \dot{H} - C(\alpha)$ | 218 | 1 | 212 | 215 | 218 | 233 |
| | Leu ³ NH | $Hip^2 CH_3 - C(\alpha)$ | 318 | 1 | 373 | 366 | 328 | 339 |
| | Leu ³ NH | Leu ³ H–C(α) | 302 | I | 289 | 288 | 303 | 300 |
| | Leu ³ NH | $\operatorname{Leu}^{3} \operatorname{H}_{(ma-R)} - \operatorname{C}(\beta)$ | 275 | 1 | 257 | 244 | 275 | 263 |
| | Leu ³ H–C(a) | Leu ³ H _(pro-R) -C(β) | 311 | I | 303 | 304 | 311 | 303 |
| | Leu ³ H–C(α) | $\operatorname{Leu}^{3} \operatorname{H}_{(m^{0},\mathfrak{N})}^{(m^{0},\mathfrak{N})} - \operatorname{C}(\beta)$ | 252 | I | 255 | 260 | 252 | 240 |
| | Leu ³ H–C(α) | $Pro^4 H - C(\delta)$ | 262/210 | I | 243 | 239 | 220 | 284 |
| | $Pro^4 H-C(\alpha)$ | Ist ¹ CH ₃ -C(δ) | 273 | ł | 343 | 299 | 283 | 310 |
| | $Pro^4 H-C(\alpha)$ | Me, Tyr ⁵ CH ₃ N | 204 | I | 247 | 258 | 212 | 245 |
| | $Me_2Tyr^5 H-C(\alpha)$ | Me ₂ Tyr ⁵ CH ₃ N | 216 | I | 256 | 261 | 216 | 202 |
| | Thr ⁶ H–C(α) | Ist ¹ H _(pro-S) -C(α) | 331 | I | 319 | 359 | 341 | 358 |
| | $Thr^{6} NH$ | Thr ⁶ \dot{H} -C(α) | 310 | ł | 281 | 282 | 309 | 299 |
| | $Thr^{6} NH$ | $Thr^{6} H-C(\beta)$ | 279 | ł | 340 | 271 | 290 | 249 |
| | Thr ⁶ NH | $Thr^{6} H-C(y)$ | 273 | I | 330 | 395 | 273 | 240 |
| | $Thr^{6} NH$ | Ist ¹ H–C(γ) | 262 | 1 | 338 | 527 | 272 | 502 |
| | $Thr^{6} NH$ | Ist ¹ $H_{(pro-S)}$ -C(α) | 283 | I | 309 | 446 | 294 | 477 |
| | $Thr^{6} H-C(\alpha)$ | Thr ⁶ $\dot{H} - C(\beta)$ | 251 | i | 238 | 247 | 251 | 255 |
| | MeLeu ⁷ CH ₃ N | Ist ¹ H _(pro-S) -C(α) | 330 | ł | 334 | 524 | 330 | 276 |
| a) CI sin | RYST, crystal structure of 2; nulation (in vacuo); MM-R, | MD-R, averaged conformat conformation obtained after | ion, obtained afte r a restrained MO | r 70-ps restrained l MO calculation; N | MD calculations (1M, subsequent un | in vacuo); MD, su nrestrained energy | bsequent 30-ps un minimization with | rrestrained MD h MOMO. |

MOMO is an interactive modeling system with graphics capabilities which we use on personal computers (PC) and DEC-VAX computers. It implements the force-field and π -SCF algorithm of PIMM (written by *Lindner* [37]) with extensions for hetero atoms (O, N, F, Cl, bivalent S) and atomic charges [38]. Electrostatic interactions are treated by a point-charge model with charges calculated by the method of *Marsilli* and *Gasteiger* [39] for the σ -system and π -charge densities from the π -SCF calculations. For the calculation of the solution conformation incorporating the experimental intramolecular distances, we introduce an additional potential function $E_{\text{restraint}}$:

$$E_{\text{restraint}} = \begin{cases} k (r - r_{\min})^2 & \text{for } r < r_{\min} \\ k (r - r_{\max})^2 & \text{for } r > r_{\max} \\ 0 & \text{for } r_{\min} < r < r_{\max} \end{cases}$$

with $k = \text{force constant } (\mathbf{kJ} \cdot \mathbf{mol}^{-1} \cdot \mathbf{A}^{-2})$, $r_{\min} = \text{estimated distance lower limit (from NOE measurements)}$, $r_{\max} = \text{estimated distance upper limit, and } r_{\min} < r_{\max}$. With this restrained MM calculation, we generate a starting conformation for a subsequent unrestrained MM calculation (assuming that the differences between hypothetical gas-phase structures and solution structures are not too large). The force constant k is used for weighting the experimental observations. This splitting of the potential function into three parts is used to accommodate for uncertain experimental distances, especially for those concerning (rotating) methyl protons. However, this approach can be described as a kind of a 'distance geometry' approach to get an image of the structure and to reach a maximum of consistency with the experimental data (see *Table 3*).

| | π⊿[E-5] | rms shift [E-6] | rms grad | E.o.D | $\Delta H_{\rm f}$ |
|-------------------------|---------|-----------------|----------|-------|--------------------|
| 2, X-ray | 0.19 | 0.035 | 0.009 | -2938 | -3411 |
| 2, MM-R | 0.24 | 0.023 | 0.017 | -2812 | -3394 |
| 2, MM | 0.27 | 0.021 | 0.004 | -2938 | -3413 |
| 2, MD-RS ^b) | 0.37 | 0.030 | 0.009 | -2793 | -3382 |
| 1, X-ray ^c) | 0.00 | 0.000 | 0.001 | -2482 | -2826 |
| 1, MM-R | 0.40 | 0.167 | 0.002 | -2179 | -2737 |
| 1, MM | 0.21 | 0.067 | 0.001 | -2261 | -2801 |
| 1, MD-RS ^b) | 0.45 | 0.017 | 0.003 | -2361 | -2825 |

Table 3. Characteristic Data of Different MOMO Calculations for Didemnin B (2) and A $(1)^a$)

^a) Other calculations, see Tab. 2.

b) Calculation starts from a low-energy conformation of the specified MD calculation.

^c) Starting coordinates are derived from the X-ray structure of 2.

The GROMOS MD simulations [34] involve the calculation of trajectories of a system containing N atoms, solving *Newton*'s equations of motion for each atom by the integration of the 3N coupled differential equations using small time steps. The total energy of this system is composed of the kinetic and the potential energy of all N atoms. If one would like to perform MD simulations at *e.g.* a constant temperature, a coupling of the systems of N atoms to an external temperature bath must take place. The strength of the coupling to this bath is controlled by a temperature relaxation time [40]. The empirical energy function employed includes terms accounting for covalent-bond stretching, bondangle bending, harmonic dihedral bending, sinusoidal dihedral torsion, *van der Waals*

and electrostatic interactions, and an additional potential term to satisfy a set of distance restraints. Special terms for H-bond interactions are not necessary because of the description of those forces by the *van der Waals* and *Coulomb* potentials. The force-field employed is parameterized especially for peptides and nucleic acids. The starting coordinates are taken from the crystal structure of 2 [5]. The initial structure is relaxed by performing 500 conjugate gradient energy-minimization (EM) steps [41].



Fig. 5. Stereoview of the trajectory (mean conformation) of didemnin B(2) obtained by 70-ps restrained MD calculation (in vacuo)



Fig. 6. Stereoview of the trajectory (mean conformation) of didemnin A (1) obtained by 70-ps restrained MD calculation (in vacuo)

A 100-ps MD run is started for both 1 and 2 each of which being split into two parts. During the first 70 ps, the experimentally obtained distance restraints (force constant $K_{dc} = 2000 \text{ kJ} \cdot \text{mol}^{-1} \cdot \text{nm}^{-2}$) are included, using the first 10 ps for the equilibration of the molecule. In order to overcome potential-energy barriers of the order of the magnitude of a H-bond, a starting temperature of 1000 K is chosen. This initial temperature is then lowered stepwise to 300 K from the 1st to the 5th ps of the simulation. The period from 11 ps to 70 ps is used for averaging. During the last 30 ps, a free MD simulation is performed to prove the stability of the 'restraint low-energy conformation' and to extract information of the flexibility of the molecule as far as possible. The results are given in *Figs. 5* and 6.

Conformation of Didemnin B (2) in the Crystalline and Solution State. – While performing conformational analysis, it is important to know whether there is conformational homogeneity [18] [42] [43] on the time-scale of the experiments or not. The appearence of only one set of signals leads to the decision that there is no conformational equilibrium involving a barrier of more than 60 kJ/mol, indicating for example a *cis/trans* isomerism about an amide bond, but this finding does not exclude fast-interconverting conformations. Although there are several criteria indicating a preferred conformation, an equilibrium might also be detected by the disagreement of observed and calculated intramolecular distances obtained from NOE values [44], nowadays best detected in the course of restraint MD calculations [35]. Usually, the most stringent way to test conformational homogeneity is an examination with the assistance of molecular-modeling techniques. The internal consistency of the experimentally observed data (*e.g.* NOE's, coupling constants, and temperature gradients of NH protons) with a structure which does not violate expected conformational features, *e.g.* usual turn patterns [45–47], gives a strong indication of conformational homogeneity and also shows that the results of the



Fig. 7. Ball-and-stick and space-filling drawings of the backbone of the crystal structure of didemnin B(2) [5] showing the intramolecular H-bond pattern and the bent 'figure-of-eight' folding of the macrocyclic ring. The same orientation is chosen for both representations.

conformational analysis are reliable. In our case, we observe three signal patterns in the spectra of didemnin B (2) in $(D_6)DMSO$ solution, but only for a distinct part of the molecule. The major conformer is the only one showing sufficient conformationally relevant NMR parameters.

The most important conformational features of the crystal structure of 2 [5] are now compared to the calculated structure in solution. In the solid state, the 23-membered ring of 2 is folded like a bent 'figure-of-eight' (see Fig. 7) and stabilized by one transannular H-bond linking the Ist' amide group with the Leu³ carbonyl O-atom, forming a bridge across the middle of the macrocyclic ring. A similar H-bonding pattern is indicated for 2 in solution by a temperature dependence of the chemical shift of the Ist' NH which indicates an intramolecular H-bond (see Table 4 for the $-\Delta\delta/\Delta T$ quotients and Table 5 for the experimental and calculated donor-acceptor distances for the different types of H-bridges). A possible cause for the irregular shape of the backbone might be the H-bond linking the Leu³ amide group to the MeLeu⁷ carbonyl group, folding the linear moiety (MeLeu⁷, Pro⁸, Lact⁹) back to the macrocyclic system (see Fig. 7 for the H-bond pattern).

| | ., | | =, 0000000 =0/=1 (PP0/ | 1 |
|--------------------------------|------------------|------------------|------------------------|---|
| | Ist ¹ | Leu ³ | Thr ⁶ | |
| $-\Delta\delta/\Delta T$ for 1 | 4.0 | 1.5 | 6.4 | |
| $-\Delta\delta/\Delta T$ for 2 | 0.5 | 1.8 | 4.3 | |

Table 4. Temperature Dependence of the NH Chemical Shifts of 1 and 2, Given as $-\Delta\delta/\Delta T$ [ppb/K]

Once more, the $-\Delta\delta/\Delta T$ quotients (*Table 4*) indicate an internal orientation of the Leu³ NH, most likely to form an intramolecular H-bridge to the MeLeu⁷ CO. According to the donor-acceptor distance, this H-bridge is the strongest in the crystal structure, and it is also found to be very strong (100% occupancy) in solution, according to the different conformational calculations (see *Table 5*).

The third H-bond apparent in the crystalline state of 2 is involved in a β II structure for the linear side chain with Pro⁸ in the (i + 1) position, a preferred position for proline in β turns [47], and MeLeu⁷ in the (i + 2) position. A similar structure in solution is indicated by the NOE between Thr⁶ NH and Pro⁸ $H-C(\alpha)$ with a H...H distance of 353 pm, the relative strong NOE between Pro⁸ $H-C(\alpha)$ and MeLeu⁷ CH₃N (286 pm compared with ca. 320 pm in the crystal structure; see Table 2), and the strong NOE between MeLeu⁷ CH₃N and Thr⁶ NH (260 pm). This structural feature is well reproduced by all conformational calculations (see Table 6 for the ideal and experimentally observed dihedral angles). However, the GROMOS simulations reveal an additional H-bridge linking the Lact⁹ OH with the Me₂Tyr⁵ CO group (see Table 5), stabilizing the side-chain arrangement. This feature is not found in the crystal structure (the lactoylproline moiety is disordered) and is also not duplicated in the MOMO calculations.

There are two more β II turns observed in the macrocyclic system of didemnin B (2), which are unconventional because there is no possibility of H-bridge formation, but which are classical β II turns in terms of their geometry. This is surprizing and supports earlier observations that the formation of a H-bridge is not essential for a specific turn structure [48]. A third turn involving the Hip² residue on its own cannot be assigned to any classical turn type.

The first unconventional β II structure involves the Thr⁶ residue in (i + 1) and the Ist¹ residue in the (i + 2) positions. The observed geometry (see *e.g. Fig.* 7) can be described

| | | | 1 a M A | א ה השור ה | | n (a). Company | | | | ·/ •// | | |
|---------------------|------------------------------|---------------|---------------------------------|--------------------------------------|-----------------------|-----------------------------------|------------------------------|-----------------------|----------------------------------|---------------------------------------|-----------------------|---|
| | Donor Ist ¹ NH | | Acceptor Leu ³ CO | Donor Leu ³ N <i>H</i> | 1 | Acceptor MeLeu ⁷ CO | Donor Thr ⁶ NH | | Acceptor Lact ⁹ CO | Donor Lact ⁹ O <i>H</i> | | Acceptor Me ₂ Tyr ⁵ CO |
| | r[pm] ⁶) | (deg]d | P[%] ^c) | r[pm] ^c) | @[deg] ^d) | P[%]9 | r[pm] ^c) | G[deg] ^d) | P[%] ^e) | r[pm] ^c) | G[deg] ^d) | P[%] ^c |
| 2, CRYS | F 302 | 142 | 1 | 291 | 169 | 1 | 309 | 156 | - | 433 ^f) | 1 | |
| 2, MM-R | 275 | 173 | I | 281 | 159 | I | 268 | 177 | Į | . 1 | I | I |
| 2, MM | 273 | 152 | I | 265 | 169 | i | 270 | 175 | I | I | ł | I |
| 2, MD-R | 280 | 158 | 66 | 290 | 162 | 100 | 289 | 152 | 96 | 296 | 159 | 60 |
| 2, MD | 281 | 157 | 98 | 283 | 157 | 100 | 303 | 146 | 42 | 288 | 161 | 98 |
| 1 , MM-R | 302 | 153 | I | 265 | 156 | I | | | | | | |
| 1, MM | 279 | 147 | ł | 266 | 166 | I | | | | | | |
| 1, MD-R | 289 | 159 | 100 | 279 | 160 | 100 | | | | Molior Mal an | JNE | Tetl O(cotor) |
| I, MD | 289 | 160 | 66 | 289 | 159 | 66 | | | | Meren | | ISI Q(ESICI) |
| , | | | | | | | | | | r[pm] ^c) | (deg] ^d | $P[\%]^{c}$ |
| | | | | | | | | | 1, MD | 340 | 140 | 47 |
| | | | | | | | | | 1, MD | Ι | I | 1 |
| a) Defu | nition of H | -bridge bond | s: D-HA is s | horter than | 300 pm and th | ne corresponding | t H angle is | greater than | 120° (D = donc | or, $A = acce$ | ptor). | |
| ^b) Expl | anation of | the codes for | the different ca | lculations, s | ee Table 2. | | | • | | | | |
| C) Dista | unces betwe | en D-H. | | | | | | | | | | |
| d) Angl | e between (| (D-HA). | | | | | | | | | | |
| °) Popu | lation of th | he H-bridge d | luring the MD o | calculations. | | | | | | | | |
| f) This | H-bridge is | not appeare | nt in the crystal | structure, se | ee Fig. 7. | | | | | | | |

This H-bridge is not appearent in the crystal structure, see Fig. 7.

Table 5. *H-Bonds*^a) in Didemnin A (1) and B(2). Comparison of the values of the different calculations^b).

Helvetica Chimica Acta - Vol. 72 (1989)

best by a turn of the β II type, although the differences of the observed dihedral angles from those ideally expected is fairly high (up to 60°, see *Table* 6 and *Fig.8*). The following NMR evidence supports this conclusion. Firstly, the H-bridge between Leu³ NH and MeLeu⁷ CO, responsible for the folding back of the linear moiety to the macrocyclic ring, indicated by a strong NOE between Leu³ NH, and Ist¹ $H_{(pro-S)}$ -C(δ) (264 pm, see *Table* 2) strengthen the assumption of a turn structure. Secondly, the NOE between Ist¹ H-C(γ) and Ist¹ $H_{(pro-S)}$ -C(α) (231 pm; a coupling constant ${}^{3}J(\alpha,\beta)$ cannot be extracted) and the coupling constant ${}^{3}J(NH, \gamma) = 9.7$ Hz points to a (i + 2) position for Ist¹ in a pseudo- β II turn. At least the strong NOE between Ist¹ NH and Thr⁶ H-C(α) (210 pm) and the small ${}^{3}J(\alpha, NH)$ (5.7 Hz) do not contradict the assumption of Thr⁶ being involved in the (i + 1) position of a β II turn. The observed ${}^{3}J(\alpha,\beta)$ (2.4 Hz) for Thr⁶ agrees well with the H-C(α)-C(β)-H torsion angle in the crystal (79.4°). Again, this structure is reproduced fairly well in the different conformational simulations (see *Tables 2* and 6) and remains close to the crystal structure with a maximum deviation of *ca.* 40° for the torsional angles (see *Table* 6 and *Fig.8* for the corresponding *Ramachandran* plots).

| | Table 6. 0 | Comparison of | of Topologi | cally Relevant | Dihedral | Angles in | Didemnin | B(2) and | A (1) |
|------------|--------------|---------------|-------------|----------------|-------------|------------------------|----------------------|-------------------|-------|
| a) Indicat | ion of a BII | Turn in the | Linear Pep | tide Chain of | 2. Includin | ng Pro ⁸ an | d MeLeu ⁷ | | |

| | Pro ⁸ | | MeLeu ⁷ | |
|-------------------------|-------------------|-----|--------------------|-----|
| | $\overline{\phi}$ | Ψ | $\overline{\phi}$ | ψ |
| 2, IDEAL | | 120 | 80 | 0 |
| 2, CRYST | -63 | 124 | 103 | -29 |
| 2, MM-R | -50 | 133 | 96 | -38 |
| 2, MM | -45 | 120 | 123 | -49 |
| 2, MD-R | -53 | 120 | 112 | -18 |
| 2, MD | -60 | 116 | 96 | 27 |
| 2, MD-RS ^b) | -65 | 127 | 107 | -12 |

b) Indication of an Unconventional β II Turn in the Macrocyclic Ring of 2, Including Thr⁶ and Ist⁶

| | Thr ⁶ | | Ist ¹ | |
|----------|----------------------|-----|------------------|-----|
| | $\overline{\phi}$ | Ψ | ϕ | Ψ |
| 2, IDEAL | | 120 | 80 | 0 |
| 2, CRYST | -68 | 156 | 113 | -58 |
| 2, MM-R | -51 | 123 | 147 | -76 |
| 2, MM | -64 | 142 | 106 | -62 |
| 2, MD-R | -48 | 121 | 122 | -60 |
| 2, MD | -76 | 119 | 123 | -70 |

c) Indication of an Unconventional β II Turn in the Macrocyclic Ring of 1, Including Thr⁶ and Ist¹

| | Thr ⁶ | | Ist ¹ | |
|-------------------------|------------------|-----|------------------|-----|
| | ϕ | Ψ | ϕ | Ψ |
| 1, IDEAL | -60 | 120 | 80 | 0 |
| 1, MM-F ^c) | -73 | 141 | 109 | -62 |
| 1, MM-R | -163 | 89 | 140 | -95 |
| 1, MM | -76 | 126 | 131 | -61 |
| 1, MD-R | -123 | 81 | 141 | -60 |
| 1, MD | -79 | 112 | 123 | -63 |
| 1, MD-RS ^b) | -128 | 83 | 137 | -64 |

| | B-o4 | | M. T | |
|-------------------------|--------|-----|-----------------------|----|
| | F10 | | Nie ₂ 1 yr | |
| | ϕ | Ψ | ϕ | Ψ |
| 2, IDEAL | -60 | 120 | 80 | 0 |
| 2, CRYST | -75 | 163 | 51 | 40 |
| 2, MM-R | -81 | 156 | 57 | 25 |
| 2 , MM | -72 | 162 | 60 | 15 |
| 2, MD-R | 68 | 149 | 52 | 56 |
| 2, MD | 60 | 146 | 46 | 65 |
| 2, MD-RS ^b) | 69 | 139 | 56 | 60 |

Table 6 (cont.)

| d) | Indication of an | Unconventional | BII Turn in the | Macrocyclic . | Ring of 2. | Including | Pro ⁺ | and Me S | Tvr |
|----|------------------|----------------|-----------------|---------------|------------|-----------|------------------|----------|-----|
|----|------------------|----------------|-----------------|---------------|------------|-----------|------------------|----------|-----|

e) Indication of an Unconventional \$11 Turn in the Macrocyclic Ring of 1, Including Pro⁴ and Me₂Tyr⁵

| | Pro ⁴ | | Me ₂ Tyr ⁵ | |
|------------------------|-------------------|-----|----------------------------------|------|
| | $\overline{\phi}$ | Ψ | $\overline{\phi}$ | Ψ |
| 1, IDEAL | -60 | 120 | 80 | 0 |
| 1, MM-F ^c) | -70 | 161 | 60 | 16 |
| 1, MM-R | 55 | 162 | 91 | -86 |
| 1, MM | -49 | 165 | 62 | -114 |
| 1, MD-R | 66 | 126 | 68 | 109 |
| 1, MD | -63 | 128 | 59 | 96 |

^a) Explanation of the calculations, see *Table 2*. ^b) Low-energy conformation of the specified MD calculation. ^c) Free MM calculation of 1, starting from X-ray coordinates.



Fig. 8. Ramachandran diagram of the turns (ϕ and ψ angles) in didemnins. Filled circles indicate conformations of didemnin B (2) and open circles of didemnin A (1). The different points correspond to the different calculations shown in *Table 6*. a) βII Turn in the linear side chain of 2 with Pro⁸ in the (i + 1) position and MeLeu⁷ in the (i + 2) position. b) Turn involving Thr⁶ and Ist¹ in 1 and 2, indicating that the amino acids occupy a β II-turn-like structure with these residues in i + 1 and i + 2 position. An H-bond cannot be formed due to the lack of H-bond donor in i + 3 position. c) Turn about Pro⁴ and Me²Tyr⁵ in 1 and 2 (argumentation similar to b). Two MOMO-derived structures in 1 deviate in the ψ angle in position i + 2.

The second unconventional β II turn involves the Pro⁴ residue in the expected (i + 1) position and the Me₂Tyr⁵ residue in the (i + 2) position. Again, the usual H-bond donor and acceptor atoms are involved, but with a lactone instead of an amide bond between Me₂Tyr⁵ in the (i + 2) and Thr⁶ in the (i + 3) positions. Again, no conformationally

| | | CRYST | MD-R | MD | MM-R | MM |
|---|-------|-------|------|------|------|------|
| 2 | CRYST | _ | 0.40 | 0.57 | 0.28 | 0.46 |
| | MD-R | | - | 0.23 | 0.47 | - |
| | MD | - | - | - | - | 0.32 |
| | MM-R | - | - | - | - | 0.52 |
| 1 | CRYST | - | 1.01 | 0.71 | 0.70 | 0.43 |
| | MD-R | _ | - | 1.64 | 0.62 | _ |
| | MD | - | - | | _ | 0.88 |
| | MM-R | | - | - | | 0.55 |

Table 7. Results of Selected Least-Squares Fits Involving the Backbone Atoms of the Macrocyclic System of Didemnin A (1) and B (2)^a). For some related calculations, see Table 2. R.m.s. deviations are given in Å.

relevant coupling constants can be extracted (e.g. because of the methylation of the Me₂Tyr⁵ amide N-atom) to confirm our assumption. However, the NOE pattern does not contradict our assumption that in (D₆)DMSO solution, the same type of pseudo- β II turn is formed as in the crystalline state. There is a strong NOE between Me₂Tyr⁵ CH₃N and Me₂Tyr⁵ H--C(α) (204 pm) and a strong NOE between Me₂Tyr⁵ CH₃N and Pro⁴ H--C(α), (192 pm) pointing to a β II versus a β II' turn. The strongest indications of a turn structure in this part of the molecule are the observed NOE between Ist¹ NH and Pro⁴ H--C(α) (339 pm) and Leu³ NH and Ist¹ H_(pro-S)--C(α) (264 pm), indicating a close contact of the (*i*) and (*i* + 4) positions. Once more, the observed NOE's fit well to distances observed in the crystal structure (see *Table 2*), and the distance-restrained modeled structures remain fairly close to the crystal structure (see *Table 6* for the relevant dihedral angles and *Fig. 8* for the corresponding *Ramachandran* plots). We have performed least-squares fits of the 23-membered ring backbone atoms, for each pair of structures (see *Table 7*) showing the



near equivalence of the crystal and calculated solution structures. The overall r.m.s. for the positional fluctuation of selected backbone atoms during the analyzed 25 ps free MD simulations seem to be sufficiently low (see *Fig.9*) to describe the macrocyclic system as fairly rigid. There are minor exceptions in the region of the Hip² residue which does not show any intramolecular H-bonding requiring structural rigidity. As expected, higher fluctuations are observed for the atoms involved in the linear moiety.

Conformation of the Side Chains. – In general, side chains are more flexible than the backbone, and conformational homogeneity should not be expected. The assignment of the side-chain rotamers about the $C(\alpha)-C(\beta)$ bond (χ_1) [49] seems only reasonable if one of the three staggered conformations is dominant in the equilibrium.

The method applied to the conformational analysis of side chains follows a published procedure [50]. First, the vicinal homonuclear coupling constants ${}^{3}J(\alpha,\beta)$ and ${}^{3}J(\alpha,\beta')$ are taken into account, if available. This allows to decide between conformations I $(\chi_{1} = -60^{\circ})$ and II $(\chi_{1} = 180^{\circ})$ on the one hand and III $(\chi_{1} = +60^{\circ})$ on the other hand (signs of χ_{1} for an L-amino acid). If one of the conformations I or II dominates, the assignment of the diastereotopic protons of the *ABX* system is done on the basis of NOEs and heteronuclear ${}^{3}J(C', H-C(\beta))$ coupling, using the COLOC technique [50].

Starting with Ist¹ which can be described as a pseudo-D-amino acid, we find conformation I in the crystalline state of 2 ($\chi_i = 64.2^\circ$). Unfortunately, ${}^3J(\gamma,\delta)$ can neither be extracted out of the 1D spectrum due to strong overlap at 3.8 and 1.87 ppm, respectively, nor out of the E.COSY spectrum because of the severe overlap of the $H-C(\gamma)$ and $H-C(\beta)$ resonances (3.82 and 3.80 ppm, resp.). Applying the NOE between Ist¹ $H-C(\gamma)$ and Ist¹ $H-C(\delta)$ (210 pm) as restraint to the side chain of Ist¹, the staggered conformation I is retained during all the different conformational calculations starting from the crystal structure (see *Table 8*).

For the Hip² residue containing two diastereotopic Me groups instead of diastereotopic protons, conformation III ($\chi_1 = 60^\circ$); χ_1 relative to Me_(pro-R) is present in the crystal structure. The ${}^{3}J(\gamma, \delta)$ 3.9 Hz favors a predominance of conformation I and III. Using

| | Ist ¹ | Leu ³ | Me ₂ Tyr ⁵ | Thr ⁶ | MeLeu ⁷ |
|--------------------------|------------------|------------------|----------------------------------|------------------|--------------------|
| 2, CRYST | 64.2 | 66.8 | -41.8 | -154.5 | 60.7 |
| 2, MM-R | 47 | 69 | -43 | -165 | 47 |
| 2, MM | 53 | -50 | -42 | -156 | 61 |
| 2, MD-RS ^b) | 61 | 72 | -63 | -156 | 80 |
| 2, MD-R | 64 | -72 | 62 | -153 | 74 |
| 2, MD | 64 | 74 | 63 | -162 | 135 |
| 2, MD-RS2 ^b) | 52 | 78 | -70 | -165 | 87 |
| 1, MM-F ^c) | 52 | -51 | -40 | -161 | 56 |
| 1, MM-R | 72 | -59 | -40 | -150 | 60 |
| 1, MM | 68 | -48 | -44 | -144 | 64 |
| 1, MD-RS ^b) | 71 | -65 | -67 | -178 | -179 |
| 1, MD-R | 73 | -61 | -66 | -179 | 91 |
| 1, MD | 64 | -70 | 66 | -170 | 69 |

Table 8. Dihedral Angles χ_1 [°] Didemnin B (2) and A (1)^a)

^a) Explanation of the different calculations, see Table 2.

^b) Low-energy structure of the restraint MD calculations.

⁶) Free MOMO calculation of 1 starting with coordinates obtained from the X-ray structure of 2.

Pachler's equations [51–53], the population of rotamer II is *ca*. 12%, whereas rotamer I or III are populated up to 88% (e.s.d. *ca*. 10%). There is no unambiguous evidence for a discrimination between rotamers I and III. In the crystal structure, the $Me_{(pro-R)}$ group is located a bit closer to the ketone moiety of Hip² which might account for the slight downfield shift (0.83 *vs*. 0.76 ppm) of one of the Me resonances. This observation would favor rotamer III in solution too.

In the crystal structure of didemnin B (2), the Leu³ residue adopts conformation I $(\chi_1 = -66.8^\circ)$. Despite of the lack of homonuclear coupling information (the cross-peaks are situated in a crowded region of the E.COSY spectrum), the assignment of the diastereotopic β protons is possible by means of NOE's. So, $H_{(pro-S)}$ via its strong NOE to the neighbouring $Pro^4H-C(\delta)$ and $H_{(pro-R)}$ via its NOE involving $Thr^6 H-C(\alpha)$. Once more, the predominant conformation in solution is proposed to be a rotamer I.

The Pro⁴ residue in the macrocyclic system of **2** has an 'endo' conformation in the crystalline state [5] with respect to the ring puckering, *i.e.* the H- $C(\gamma)$ and the CO bonds point to the same direction. The angle χ_1 is 36° in the crystalline state, yielding the theoretical coupling constants of 7.3 for H_(pro-S) and 1.2 Hz for H_(pro-R), respectively. The inspection of the E.COSY spectrum yields ${}^{3}J(\alpha,\beta) = 8.7$ Hz for the downfield β proton and ${}^{3}J(\alpha,\beta) = 4.5$ Hz for the highfield β proton. This is in accordance with the observed NOE between Me₂Tyr⁵CH₃N and Pro⁴ H'- $C(\beta)$, leading to the configurational assignment of $H'-C(\beta)$ as pro-R. Therefore, we propose a similiar conformation for both the crystalline and solution state.

The Me₂Tyr⁵ residue adopts conformation I ($\chi_1 = -41.8^{\circ}$) in the crystal structure of **2**. We observe homonuclear coupling constants ${}^{3}J(\alpha,\beta) = 4.6$ and ${}^{3}J(\alpha,\beta') = 11$ Hz, yielding $P_1 = 77$, $P_{II} = 19$, and $P_{III} = 4\%$. There is only a very weak correlation to the highfield H'-C(β) in the 'inverse COLOC' spectrum, indicating predominance of rotamer I. However, the quantitative information about the size of the heteronuclear coupling constant in an (non-decoupled) 'inverse COLOC' cannot be directly derived as in COLOC itself. This results from different transfer functions which reads for the inverse variant (no refocussing delay Δ_2) to $I \sim \sin\pi {}^{n}J(C, H) \Delta_1 \pi \cos\pi J(H, H) \Delta_1$. Hence, the weaker dependence from ${}^{n}J(C, H)$ (in COLOC from $\sin\pi {}^{n}J(C, H) \Delta_1 \sin\pi {}^{n}J(C, H) \Delta_2 \sim \sin^2\pi J(C, H) \Delta$) renders the interpretation without knowledge of all passive couplings less straightforward.

Thr⁶ links the macrocyclic system to the linear side chain, as in various cyclic peptides and depsipeptides [54], *e.g.* stendomycin [55] and telomycin [56]. The structural features of the Thr⁶ residue have already been discussed above.

The MeLeu⁷ residue is the only D-amino acid present in didemnin A (1) and B (2). In the crystalline state ($\chi_1 = 60.7^\circ$) as well as in (D₆)DMSO solution, it adopts conformation I. The NMR spectroscopic evidence for a similar orientation in solution is as follows. First, ${}^{3}J(\alpha, \beta (pro-S)) = 11.1$ Hz and ${}^{3}J(\alpha, \beta' (pro-R)) = 5.0$ Hz yield $P_{I,II} = 78$, $P_{II,I} = 22$, and $P_{III} = 0\%$. The predominance of rotamer I is confirmed by very weak cross-peaks from CO to both β protons in the 'inverse COLOC' spectrum, and additionally by a strong NOE between MeLeu⁷ CH₃-N and MeLeu⁷ H-C(β).

In the crystal structure, the Pro⁸ ring has the so-called '*exo*' conformation [5] (in contrast to Pro⁴), with C(γ) and the CO group pointing in opposite directions. Additionally, Pro⁸ adopts a χ_1 angle of -31° in the crystal structure of **2**, which corresponds to the measured coupling constants. We can extract two coupling constants ${}^{3}J(\alpha, \beta) = 7.8$ and ${}^{3}J(\alpha, \beta') = 7.4$ Hz. In the COLOC spectrum, weak correlations to both diastereotopic protons are observed.

Comparison of the Conformation of Didemnin A (1) and Didemnin B (2). – Our interest in the conformational analysis of 1 and 2 has been arisen by their differences in the biological acitivites. However, both depsipeptides show very similar NMR data for the macrocyclic part of the molecule indicating very closely related conformations.

A first indication of this homology can be seen from the comparison of chemical-shift values. *E.g.* the differences of the NMR chemical-shift values of C=O of residues 1 to 6 are smaller than 0.3 ppm, with the exception of the Hip² C=O which differs by 0.8 ppm. The temperature gradients (see *Table 4*) of Leu³ NH and Ist¹ NH are very small in both 1 and 2 pointing to a related H-bonding pattern. The differences in the experimentally observed H...H distances and the differences in the scalar coupling constants for the residues of the macrocyclic system are within the range of the estimated standard deviations for each of the experiments performed. So, *e.g.* the cross-linking NOE's between Leu³ NH and Thr⁶ $H-C(\alpha)$ (324 (2) and 320 pm (1)) and between Ist¹ $H_{(pro-S)}-(\alpha)$ and NH (264 (2) and 279 pm (1)), which are sensitive for the overall conformation of the macrocyclic part, differ only slightly (see *Table 2*).



Fig. 10. Stereoview of a least-squares fit of the averaged conformations of didemnin A(1) and didemnin B(2) obtained as a mean over a 70-ps restrained MD trajectory (in vacuo). Only the corresponding backbone atoms of the macrocyclic systems have been fitted to each other yielding a root mean square deviation of 0.51Å for the fitted atoms. The structure of 1 is drawn by open lines, that of 2 by dashed open lines. The part of the MeLeu⁷ side chain which shows the main differences is indicated by solid lines for 1 and by dashed solid lines for 2. Note that the conformations of the side chains are less defined.

In addition, the predominant side-chain conformations, except for MeLeu⁷ (see below), are very similar. *E.g.* the corresponding scalar coupling constants ${}^{3}J(\alpha,\beta)$ of Me₂Tyr⁵ are 4.75 Hz in 1 and 4.5 Hz in 2 for $H_{(pro-S)}$ -C(β) and 10.3 and 11.0 Hz for the H_(pro-R)-C(β), respectively. Another example is the Pro⁴ residue with ${}^{3}J(\alpha,\beta) = 8.7$ Hz for $H_{(pro-S)}$ -C(β) (4.5 Hz for $H_{(pro-S)}$ -C(β)) in 2 as compared to 8.5 Hz (4.0 Hz) for 1.

Major differences are observed in the orientation of the linear moiety of the didemnins. For 2, the measured NOE's and coupling constants involving Thr⁶ and MeLeu⁷ fit well with the geometry observed in the crystal structure. In contrast to these observations, there is a remarkable discrepancy in ${}^{3}J(NH, \alpha)$ of Thr⁶, which is 5.7 Hz for **2** vs. 10 Hz for **1**, corresponding to a change in the angle ϕ . We should expect $\phi = -75^{\circ}$ (as well as 25, 95, or -160°) for a coupling constant of 5.7 Hz (-68.6° is observed in the crystal structure and is well reproduced by the different calculations) and -120° for a coupling constant of ca. 10 Hz. These observations are supported by the corresponding NOE's ($r(\text{Thr}^6 \text{ NH},\text{Thr}^6) H-C(\alpha) = 276 \text{ pm}$ (289 pm in the crystal structure) for **2** and 310 pm for **1**). In addition, a NOE between the MeLeu⁷ CH₃N and the Ist¹ $\alpha_{(pro-S)}$ protons (330 pm) is detected for **1** which confirms the different orientation of the CH₃N vector, pointing towards Ist¹ in **1** (see Fig. 10) and in the opposite direction in **2** (in the crystal and solution structure). The latter orientation is confirmed by a NOE for **2** between MeLeu⁷ CH₃N and Thr⁶ NH (260 pm) which cannot appear in the other conformation.

On Using 'NMR Structures' as *Patterson* Search Models to Resolve the Crystal Structure of Didemnin B(2). – The very powerful statistical direct methods [57] [58] of crystal-structure solution are not quite omnipotent and usually fail for organic structures with more than *ca*. 200 independent C-, N- and O-atoms per asymmetric unit, or when the experimental data do not extend to 'atomic resolution' (*ca*. 1 Å). However, no sharp dividing line can be drawn because of the influence of space group, data quality, luck, and last but not least computer time.

The alternative 'Patterson search' approach [59] [60] does not require atomic resolution and is less critically limited by the size of the structure. However, it requires additional chemical information in the form of a search fragment. We investigate here the suitability of structures obtain from NMR data for this approach. We have tested two different structural fragments each of which corresponds to an energy minimum and fulfills the observed distance restraints quite well. The first fragment used (see *Table 9*) contains 60 atoms of **2** (mainly in the macrocyclic system), calculated with MOMO using the distance restraints. The search fragment yields a fractional scattering power of 73%.

| Space group | C2221 | C2221 |
|---|------------------------|---------------------|
| Model size (atoms) | 41 | 60 |
| Scattering power | 0.52 | 0.73 |
| Model obtained with | GROMOS ^b) | MOMO ^c) |
| Number of rotational trials | 50 000 | 50 000 |
| RFOM ^f /RFOM ^c | 1.03[2] ^d) | 1.01[3] |
| $E_{\rm calc/obs}^{\rm f} / E_{\rm calc/obs}^{\rm c}$ | 0.98[2] ^d) | 0.92 |
| Number of translational trials | 15000 ^d) | 10 000 |
| TPRSUM ^f /TPRSUM ^c | $0.81[1]^{d}$ | 1.15[2] |
| $R_{\rm E}(1)/_{\rm E}(2)^{\rm c}/R_{\rm E}(1)/_{\rm E}(2)^{\rm f}$ | $1.09/1.09[1]^{d}$) | 0.95/1.00[2] |
| CFOM ^f /CFOM ^c | 0.98[1] ^d) | 1.02[2] |

Table 9. Data on the Solution of the Known Crystal Structure of Didemnin B(2) (C₅₇H₈₉N₇O₁₅·1.5 C₆H₆·H₂O) with the Patterson Search Program PATSEE^a)

^a) The calculations were performed on an *IBM3090*-mainframe computer. For the description of the procedure and the definition of the various figures of merit [60].

b) The lowest-energy conformation was picked from the trajectory of the 70-ps restrained MD simulation.

^c) Energy-minimized conformation of the MOMO calculation including distance restraints.

^d) Obtained after a subsequent (10000 rotational trials) rotational refinement. The superscript ^c refers to the correct, ^f to the highest-ranked wrong solution. In each case, the rank of the solution is given in brackets (1 = best solution, 2 = second-best solution, *etc.*).

After performing 50000 rotational trials, the third-ranked (according to the RFOM figure of merit [61a]) solution yields the highest $E_{\text{calc/obs}}$ value. The subsequent translation search (10000 trials) for this orientation yields the correct solution (showing almost all of the non-H-atoms after applying a tangent expansion and *Fourier* recycling procedure) ranked as second best. A least-squares fit of the search fragment with the backbone atoms of the macrocyclic ring of the crystal structure leads to a r.m.s. deviation of 0.28 Å.

The second fragment used consists of 41 atoms of the lowest-energy conformation of 2, picked up from the trajectory of the 70-ps restrained GROMOS calculation. The fragment yields a fractional scattering power of 52%. Once more, we have performed a least-squares fit to the 23-membered ring of the crystal structure, leading to a r.m.s. deviation of 0.40 Å. The 50000 rotational trials during the orientation search reveal a number of different orientations judged according to the RFOM figure of merit. The fourth-ranked orientation shows the best $E_{\text{calc/obs}}$ value and is submitted to an orientational refinement run. The second-best orientation of this refinement procedure leads to the correct solution (ranked second), after a subsequent translation search (10000 trials). This solution is again tested by a tangent expansion and *Fourier* recycling calculation (a SHELXS-86 feature [61]) which leads to the correct crystal structure.

In principle, there is no doubt about the power of the Patterson search approach to solve crystal structures [62] or the ability of modern NMR spectroscopy to generate high-quality solution structures [17]. Nevertheless, there are some pitfalls in practice. Firstly, the structure derived from NMR data and modelling is an averaged structure. So, if the molecules of interest possess large rigid domains, the NMR information will be sufficient to model a well defined structure which could serve as a search fragment to solve the crystal structure. In the case of molecules with a large amount of flexibility, the fraction of atomic positions which will subsequently fit well to the corresponding atomic positions in the crystal structure might be too low. We would propose as a crude guideline that the search model must yield a fractional scattering power of more than 30% if there are overall positional r.m.s. deviations of ca. 0.1 to 0.3 Å. Even with a fragment of scattering power of more than 50% and showing an r.m.s. deviation from the atomic positions in the crystal structure of 0.40 Å, it has been difficult to obtain the correct solution ranked first according to the various figures of merit. However, again no sharp dividing line can be drawn, and success will depend on a number of factors. In addition, we should point out that there is no necessity that the conformation in solution and in the crystalline state are identical [63]. In particular, H-bonds tend to prefer intramolecular orientations in solution, whereas in crystal structures, they are often intermolecular [15] [35] [63].

Concluding Remarks. – We have applied two modelling techniques which follow different philosophies: the well established GROMOS program package as a MD approach and MOMO, a PC-oriented modeling system representing the MM approach.

In our experience, MOMO is suited to model a solution using distance restraints, but with some reservations. It is inherent to the MM method that there is no way to jump between two conformations both of which represent energy minima. However, the incorporation of NOE data in form of a pseudo potential makes it possible to escape from a local minimum. We are aware that this approach can only serve as a crude model builder. We do not employ the average character of the NOE distances in a physically correct manner, but use them as fixed distances smoothed by the allowance of a deviation from the target value. The way of considering the NOE restraints in the MD simulations as mean distances with respect to time is physically more appropriate.

If we start the modelling with an adequate initial structure (in our case the crystal structure), it seems possible to obtain a reasonable result consistent with the NMR data. In our experience, current 'distance geometry' programs often fail to propose a reasonable start structure automatically, so the chemist is forced to intervene and select structures intuitively.

A problem which affects both of the employed programs is the quality of the force field. So, e.g. the planarity of the amide or ester moiety is not adequately maintained. This can be traced back to an unsuitable weighting of the force constants used for the NOE restraints relative to those describing, e.g., the torsional potential. A relative large force constant for the restraint potential has to be used to find a global rather than a local minimum, which may lead to significant deformation of 'standard geometries'.

However, we conclude that in most cases, especially for smaller molecules starting with adequate initial geometry, the combined 'distance geometry' and MM approach incorporated in MOMO provide an efficient path to a realistic image of the 'solution structure'.

Finally, the conformational analysis of the didemnins has been performed in order to understand the marked difference of the biological activity of didemnin A (1) and (2). We suggest that these differences can hardly be ascribed to conformational effects, but rather to the different constitutions, because both molecules exhibit very similar backbone and side-chain conformations in DMSO solution. The detected conformational change concerning the MeLeu⁷ residue seems insufficient to explain the disparity in biological activity.

We gratefully acknowledge financial support by the Deutsche Forschungsgemeinschaft, the Fonds der Chemischen Industrie, and the Bundesministerium für Forschung und Technologie. Samples were kindly provided by Dr. van der Helm, University of Oklahoma, Dr. A.J. Weinheimer, University of Houston, and Prof. Dr. U. Schmidt, Universität Stuttgart. We thank Dr. W. Bermel, Bruker GmbH, Karlsruhe, for obtaining the 'inverse COLOC' spectrum with selective excitation. We thank Dr. W. van Gunsteren, University of Groningen, for providing us with the GROMOS program system.

Measurement Conditions. – General. All spectra were recorded on an AM 500 spectrometer ($v_0(^{1}H)$ 500 MHz) with an Aspect-3000 computer (Bruker). The measurements were performed at 300 K, using the standard software if not otherwise stated. Concentrations: ¹H-NMR and ¹³C-NMR spectra, 20 mg/0.5 ml in degassed (CD₃)₂SO

2. ${}^{1}H_{\cdot}^{1}H_{\cdot}^{1}DQF_{\cdot}^{2}COSY$ Spectrum. Sequence: $\Delta_{0}-90^{\circ}_{x}-t_{1}-90^{\circ}_{y}-\Delta_{1}-90^{\circ}_{x}-t_{2}$. Relaxation delay 1.5 s, $\Delta_{1} = 3 \,\mu$ s, sweep width 5102 Hz, 1 K experiments with size 4 K in f_{2} , quad detection, single zero filling in t_{1} and apodization with a squared shifted sine bell (SSB factor 3) in both dimensions.

3. ¹H. ¹H-TOCSY Spectrum. Sequence: Δ_0 -90° $\phi^* t_1$ -MLEV17- t_2 . Relaxation delay 1.5 s, mixing time 50 ms, sweep width 5102 Hz, 1 K experiments with size 4 K in f_2 , quad detection, single zero filling in t_1 , baseline correction, and apodization with a squared shifted sine bell (SSB factor 3) in both dimensions.

4. ¹H, ¹H-E.COSY Spectrum at 300 K. Pulse sequence $D_0 - \pi/2\beta - t_1 - \pi/2\beta - \pi/2$ -aq. 1200 experiments, ($\beta_0 = 20$ scans, $\beta_1 = \beta_7 = 16$ scans, $\beta_2 = \beta_4 = \beta_6 = 4$ scans, $\beta_3 = \beta_5 = 2$ scans), weighing factors ($DC_0 = DC_2 = DC_4 = DC_6 = 1$, $DC_1 = DC7 = -1.067$, $DC_3 = DC_5 = -1.176$), relaxation delay 1.5 s, size 4 K in F2, spectral width in F2 and F1 3200 Hz, zero filling to 8 K in F2 and 2 K in F1, Lorentz to Gauss multiplication in both dimensions (GB = 0.15, LB = -1.5).

5. ¹*H*, ¹*H*-*NOESY Spectrum* (pure absorption *via* TPPI [64]). Sequence: Δ_0 -90°_x- t_1 -90°_x- τ_{m} -90°_x- t_2 . Relaxation delay 1.5 s, spectra with different mixing times $\tau_m = 50$ msec, $\tau_m = 100$ msec, $\tau_m = 150$ msec, and $\tau_m = 200$ msec

were recorded, sweep width 5102 Hz, 1 K experiments with size 4 K in f_2 , quad detection, single zero filling in t_1 , baseline correction, and apodization with a squared shifted sine bell (SSB factor 3) in both dimensions. For the processing and the determination of the build-up rates, the '2DNMR' program of *Kaptein* and *Boelens* [30] was applied.

6. ${}^{1}H, {}^{13}C-inverse-COLOC'$ spectrum. Sequence: $\Delta_{0}-90^{\circ}({}^{1}H)-\Delta_{1}-90^{\circ}_{selective}({}^{13}C)-t_{1}/2-180^{\circ}({}^{1}H)-t_{1}/2-90^{\circ}({}^{13}C)-t_{2}({}^{1}H)$. Relaxation delay 1.5 s, $\Delta_{1} = 50$ ms, sweep width in f_{1} 5102 Hz and f_{2} 5208 Hz, 660 experiments with size 4 K in f_{2} , zero filling in t_{1} to 2 K, and apodization with a squared shifted sine bell (SSB factor 3) in both dimensions, t_{1} , ridges were eliminated by subtracting an appropriate row of the 2D spectra from the 2D matrix. The absolute-value spectrum was recorded and processed in the power mode.

REFERENCES

- [1] K. L. Rinehart, Jr., J. B. Gloer, J. C. Cook, Jr., S. A. Mizsak, T. A. Scahill, J. Am. Chem. Soc. 1981, 103, 1857.
- [2] K.L. Rinehart, Jr., J.B. Gloer, R.G. Hughes, Jr., H.E. Renis, J.P. McGovren, E.B. Swynenberg, D.A. Stringfellow, S.L. Kuentzel, L.H. Li, *Science* 1981, 212, 933.
- [3] K. L. Rinehart, V. Kishore, S. Nagarajan, R. J. Lake, J. B. Gloer, F. A. Bozich, K.-M. Li, R. E. Maleczka, Jr., W. L. Todsen, M. H. G. Munro, D. W. Sullins, R. Sakai, J. Am. Chem. Soc. 1987 109, 6846.
- [4] U. Schmidt, M. Kroner, H. Griesser, Tetrahedron Lett. 1988, 29, 3057.
- [5] M. B. Hossain, D. van der Helm, J. Antel, G. M. Sheldrick, S. K. Sanduja, A. J. Weinheimer, Proc. Natl. Acad. Sci. U.S.A. 1988, 85, 4118.
- [6] H. Kessler, G. M. Sheldrick, J. Antel, M. Will, Magn. Reson. Chem. 1988, 26, 501.
- [7] K. L. Rinehart, V. Kishore, K. C. Bible, R. Sakai, D. W. Sullins, K.-W. Li, J. Nat. Prod. 1988, 10.
- [8] S. L. Crampton, E. G. Adams, S. L. Kuentzel, L. H. Li, G. Badiner, B. K. Bhuyan, Cancer Res. 1984, 44, 1796.
- [9] K. L. Rinehart, Jr., J. B. Gloer, G. R. Wilson, R. G. Hughes, Jr., L. H. Li, H. E. Renis, J. P. McGovren, Fed. Proc. 1983, 42, 90.
- [10] T.L. Jiang, R.H. Lin, S.E. Salman, Cancer Chemother. Pharmacol. 1983, 11, 1.
- [11] H. G. Chun, B. Davies, D. Hogh, M. Suffness, J. Plowman, K. Flora, C. Grieshaber, B. Leyland-Jones, Invest. New Drugs 1986, 4, 279.
- [12] L.H. Li, L.G. Timmins, T.L. Wallace, W.C. Krueger, M.D. Prairie, W.B. Im, Cancer Lett. 1984, 23, 279.
- [13] D.W. Montogomery, C.F. Zukosky, Transplantation 1985, 40, 49.
- [14] D.W. Montogomery, R. Kibler, B. Poulos, C. F. Zukosky, D.H. Russell, Fed. Proc. 1987, 44, 634.
- [15] H.-R. Loosli, H. Kessler, H. Oschkinat, H.-P. Weber, T.J. Petcher, A. Widmer, Helv. Chim. Acta 1985, 68, 682.
- [16] H. Kessler, M. Gehrke, C. Griesinger, Angew. Chem. Int. Ed. 1988, 27, 490, and ref. cit. therein.
- [17] H. Kessler, H. Oschkinat, H. R. Loosli, in 'Two-Dimensional NMR Spectroscopy', Eds. W. R. Croasmun and R. M. K. Carlson, Verlag Chemie, Weinheim, 1987, pp. 259–299.
- [18] H. Kessler, W. Bermel, A. Müller, K. H. Pook, 'The Peptides: Analysis, Synthesis, Biology', Eds. S. Udenfriend, J. Meienhofer, and V. Hruby, Verlag Chemie, Weinheim, 1986, Vol. 7, pp. 437–472.
- [19] a) L. Braunschweiler, R. R. Ernst, J. Magn. Reson. 1983, 53, 521; b) A. Bax, R.A. Byrd, A. Azalos, J. Am. Chem. Soc. 1985, 106, 7632.
- [20] a) W. Bermel, C. Griesinger, K. Wagner, J. Magn. Reson. 1988, in press; b) H. Kessler, G. M. Sheldrick, J. Antel, M. Will, Magn. Reson. Chem. 1988, 26, 501.
- [21] a) W. P. Aue, E. Bartholdi, R. R. Ernst, J. Chem. Phys. 1976, 64, 2229; b) M. Rance, O. W. Sørensen, G. Bodenhausen, G. Wagner, R. R. Ernst, K. Wüthrich, Biochem. Biophys. Res. Commun. 1983, 117, 479.
- [22] a) J. Jeener, B. H. Meier, P. Bachmann, R. R. Ernst, J. Chem. Phys. 1979, 71, 4546; b) J. H. Noggle, R. E. Schirmer, 'The Nuclear Overhauser Effect', Academic Press, New York, 1971.
- [23] a) K. Wüthrich, 'NMR of Proteins and Nucleic Acids', Wiley, New York, 1986; b) V. F. Bystrov, Progr. NMR Spectrosc. 1976, 10, 41.
- [24] H. Kessler, H. R. Loosli, H. Oschkinat, Helv. Chim. Acta 1985, 68, 661.
- [25] L. Müller, J. Am. Chem. Soc. 1979, 101, 4481.
- [26] a) H. Oschkinat, R. Freeman, J. Magn. Reson. 1984, 60, 164; b) H. Kessler, H. Oschkinat, C. Griesinger, Magn. Reson. Chem. 1986, 70, 106.
- [27] H. Kessler, H. Oschkinat, Angew. Chem. 1985, 97, 689.
- [28] H. Kessler, A. Müller, H. Oschkinat, Magn. Reson. Chem. 1985, 23, 844.
- [29] a) C. Griesinger, O. W. Sørensen, R. R. Ernst, J. Am. Chem. Soc. 1985, 107, 6394; b) J. Chem. Phys. 1986, 85, 6837; c) J. Magn. Reson. 1987, 75, 474–492.

- [30] R. Kaptein, R. Boelens, 2DNMR/VMS Version 8602, Laboratory of Organic Chemistry, University of Utrecht, The Netherlands, 1988.
- [31] H. Beck, E. Egert, to be published.
- [32] J. Åquist, W. F. van Gunsteren, M. Leijonmark, O. J. Tupia, J. Mol. Biol. 1985, 183, 461.
- [33] W.F. van Gunsteren, R. Kaptein, E.R.P. Zuiderweg, Proceedings of the NATO/CECAM Workshop on Nucleic-Acid Conformation and Dynamics, Ed. W.K. Olsen, Orsay, 1983, pp.79–92.
- [34] W. F. van Gunsteren, R. Boelens, R. Kaptein, R. M. Scheek, E. R. P. Zuiderweg, 'Molecular Dynamics and Protein Structure', Ed. J. Hermans, Polycrystal Book Service, Western Springs, 1985, pp. 92–99.
- [35] H. Kessler, J. W. Bats, C. Griesinger, S. Koll, M. Will, K. Wagner, J. Am. Chem. Soc. 1988, 110, 1022.
- [36] a) J. Lautz, H. Kessler, R. Kaptein, W. F. van Gunsteren, J. Computer-Aided Mol. Design 1987, 1, 219; b) J. Lautz, Dissertation, Universität Frankfurt, 1988.
- [37] H.J. Lindner, Tetrahedron 1974, 30, 1127.
- [38] H.J. Lindner, private communications (Technische Universität, D-6100 Darmstadt).
- [39] J. Gasteiger, M. Marsilli, Tetrahedron 1980, 36, 3219.
- [40] H.J.C. Berendsen, J.P.M. Postma, W.F. van Gunsteren, A. DiNola, J.R. Haak, J. Chem. Phys. 1984, 81, 3684.
- [41] a) R. Fletcher, C. M. Reeves, Comput. J. 1964, 7, 149; b) W. F. van Gunsteren, M. Karplus, J. Comput. Chem. 1980, 7, 266.
- [42] H. Kessler, Angew. Chem. Int. Ed. 1982, 21, 512.
- [43] H. Kessler, H. Oschkinat, H. R. Loosli, in 'Methods in Stereochemical Analysis', Eds. A. Takeuchi and P. Marchand, Verlag Chemie, Deerfield Beach, FL, 1987, Vol. 9, pp. 259–299.
- [44] R. Rowan, A. Warshel, B. D. Sykes, M. Karplus, Biochemistry 1974, 13, 970.
- [45] J.A. Smith, L.G. Pease, CRC Crit. Rev. Biochem. 1980, 19, 315.
- [46] L.M. Gierasch, C.M. Deber, V. Madison, C.H. Niu, E.R. Blout, Biochemistry 1981, 20, 4730.
- [47] I. L. Karle, in 'The Peptides: Analysis, Synthesis, Biology', Eds. S. Udenfriend, J. Meienhofer, and V. Hruby, Academic Press, New York, 1981, Vol. 4, pp. 1–54.
- [48] J.P. Snyder, J. Am. Chem. Soc. 1984, 106, 2393.
- [49] IUPAC-IUB Commission, Eur. J. Biochem. 1984, 138, 9.
- [50] H. Kessler, C. Griesinger, K. Wagner, J. Am. Chem. Soc. 1987, 109, 6927.
- [51] K.G.R. Pachler, Spectrochim. Acta 1963, 19, 2085.
- [52] K.G.R. Pachler, Spectrochim. Acta 1964, 20, 581.
- [53] V.F. Bystrov, Prog. Nucl. Magn. Reson. Spectrosc. 1976, 10, 41.
- [54] Y.A. Ovchinnikov, V.T. Ivanov, Tetrahedron 1975, 31, 2177.
- [55] T.P. Pitner, D.W. Urry, Biochemistry 1972, 11, 4132.
- [56] a) N.G. Kumar, D.W. Urry, Biochemistry 1973, 12, 3811; b) ibid. 1973, 12, 4392.
- [57] J. Karle, Angew. Chem. 1986, 98, 611.
- [58] H. Hauptmann, Angew. Chem. 1986, 98, 600.
- [59] C.E. Nordman, Acta Crystallogr., Sect. A 1972, 28, 134.
- [60] E. Egert, G. M. Sheldrick, Acta Crystallogr., Sect. A 1985, 41 262.
- [61] G. M. Sheldrick, 'SHELXS-86', in 'Crystallographic Computing 3', Eds. G. M. Sheldrick, C. Krüger, and R. Goddard, Oxford Univ. Press, Oxford, 1985, pp. 175–189.
- [62] V.J. van Geerestein, J.A. Kanters, H. van Koningsveld, Acta Crystallogr., Sect. B 1987, 43, 92.
- [63] H. Kessler, G. Zimmermann, H. Förster, J. Engel, G. Oepen, W. S. Sheldrick, Angew. Chem. Int. Ed. 1981, 20, 1053.
- [64] D. Marion, K. Wüthrich, Biochem. Biophys. Res. Commun. 1983, 113, 967.